

**UNIVERSITY OF AGRICULTURE
COLLEGE OF NATURAL SCIENCES
2009/2010 FIRST SEMESTER EXAMINATION**

Course Title: COMPILER CONSTRUCTION Course Code : CSC415

Instructions: Answer any FOUR questions. Time Allowed: 2½hrs

- 1a. What is a compiler?
- b. What is a nondeterministic finite automaton?
- c. What are the reasons for keeping the phases of compiler separate?
- d. Given the regular expression $a^*(a|b)aa$: Construct an equivalent NFA.

2. Construct DFAs for each of the following regular languages. In all cases the alphabet is $\{a, b\}$.

- a) The set of strings that has exactly 3 b's (and any number of a's).
- b) The set of strings where the number of b's is a multiple of 3 (and there can be any number of a's).
- c) The set of strings where the difference between the number of a's and the number of b's is a multiple of 3.
- d) Construct a DFA that recognises balanced sequences of parenthesis with a maximal nesting depth of 3, e.g., $e, ()(), ((()()))$ or $((())()())$ but not $(((()))$ or $((()((())))$.

3. Given that binary number strings are read with the most significant bit first and may have leading zeroes, construct DFAs for each of the following languages:

- a) Binary number strings that represent numbers that are multiples of 4, e.g., 0, 100 and 10100.
- b) Binary number strings that represent numbers that are multiples of 5, e.g., 0, 101, 10100 and 11001.

Hint: Make a state for each possible remainder after division by 5 and then add a state to avoid accepting the empty string.

- c) Given a number n , what is the minimal number of states needed in a DFA that recognises binary numbers that are multiples of n ? Hint: write n as $a \cdot 2^b$, where a is odd.

4. Show that regular languages are closed under prefix, suffix, subsequence and Reversal. Hint: show how an NFA N for a regular language L can be transformed to an NFA N_p for the set of prefixes of strings from L , and similarly for the other operations.

5a. Draw the syntax tree for the string aabbcc using the grammar below:

$T \rightarrow R$

$T \rightarrow aTc$

$R \rightarrow RbR$

b. Give the derivation of the string aabbcc using the grammar in (5a)

c. Show that the grammar

$A \rightarrow -A$

$A \rightarrow A-id$

$A \rightarrow id$

is ambiguous by finding a string that has two different syntax trees.

6a. Pick some programming language that you know well and determine which of the following objects share name spaces: Variables, functions, procedures and types. If there are more kinds of named objects (labels, data constructors, modules, etc.) in the language, include these in the investigation.

b. Implement, in a programming language of your choice, data structures and operations (empty, binding, lookup, enter and exit) for simple symbol tables.

c. In some programming languages, identifiers are case-insensitive so, e.g., size and SiZe refer to the same identifier. Describe how symbol tables can be made case-insensitive.